



a nearby keyhole. Every  $P_{ij}$ , except  $P_{22}$ , identifies a spacer's hole. A hole for a self-clinching standoff is denoted similarly, by  $Q_{ij}$ .

The *base rectangle* is the bounding rectangle of the set of all  $K_{ij}$ .

The chassis is defined by the following constraints:

- (1) All  $K_{ij}$  are nodes of an equilateral triangular grid with pitch  $u = 0.75''$ .
- (2)  $Q_{35}$  has the same distance to  $K_{35}$  and  $K_{25}$ , as well as the same distance to the horizontal line through  $K_{25}$  and the vertical line through  $K_{35}$ .
- (3) The distance from  $P_{35}$  to the horizontal line through  $K_{35}$  equals to that from  $P_{25}$  to the vertical line through  $K_{15}$ .
- (4) The straight line  $P_{25}P_{35}$  is  $120^\circ$  directed.
- (5) The ratio of the vertical edge  $b = FG$  per chamfer edge  $a = EF = GH$  of the top plate is  $\frac{b}{a} = \frac{8}{5}$ .
- (6) The distance from  $P_{35}$  to the horizontal line through  $Q_{35}$  is  $\frac{5u}{12}$ .
- (7)  $P_{13}$  is the mirror image of  $P_{35}$  in the same mirror (i.e. reflection across a straight line) that would give  $K_{13}$  from  $K_{35}$ . Similarly,  $P_{53}$ ,  $P_{14}$ ,  $Q_{13}$ ,  $Q_{53}$  is mirror image of  $P_{35}$ ,  $P_{25}$ ,  $Q_{35}$ ,  $Q_{35}$ , respectively. Likewise,  $P_{21}$  is the shift image of  $P_{13}$  in the same translation that would give  $K_{21}$  from  $K_{13}$ , and similarly  $P_{22}$ ,  $Q_{21}$  is the shift image of  $P_{13}$ ,  $Q_{13}$ , respectively.
- (8) The bounding polygon of the middle plate consists of the polyline  $P_{53} \dots P_{21}$  joined with its mirror image across the center line, i.e. the vertical line through  $K_{50}$ , offsetted outwards by certain distance  $r$  so that its bounding rectangle coincides with the base rectangle offsetted outwards by  $\frac{u}{2}$ .
- (9) The bounding polygon of the top plate is obtained similarly, but offsetted outwards by certain distance  $R$  so that its bounding rectangle has a ratio of length ( $L$ ) per width ( $H$ ) of  $\frac{L}{H} = \frac{16\sqrt{3}}{15}$ .

NOTES. Table 1 lists some metrics that are derived from the specification. There we use a local coordinate system originated at  $W$ , the top right corner of the base rectangle.

Technically, the spacer's clearance zone has a larger radius than  $P = \frac{u}{6}$ , but the difference (cca  $10^{-3}$  mm) is negligible. The spacer's clearance zone is the circle centered at  $P_{ij}$  and tangent to the respective standoff's clearance zone, i.e. one centered at  $Q_{ij}$  with radius  $Q = \frac{u}{4}$ .

$R$  is the radius of fillet for convex vertices of the top plate (i.e. vertex  $E$ ,  $F$ ,  $G$ ,  $H$ ,  $J$ .) And similar is  $r$  for the middle plate.

Specified are location and size of clearance zones around holes. The size of holes is unspecified.

TABLE 1. Metrics. Coordinates are relative to the top right corner ( $W$ ) of the base rectangle.

Description	Denotation	Value
Length of the base rectangle	$l_0$	$9u$
Width of the base rectangle	$h_0$	$\frac{5\sqrt{3}}{2}u$
Length of middle plate	$l$	$l_0 + u$
Width of middle plate	$h$	$h_0 + u$
Length of top plate	$L$	$l + 2d$
Width of top plate	$H$	$h + 2d$
Offset from middle to top plate's outline	$d$	$\frac{40\sqrt{3}-53}{181}u$
Radius of fillet at middle plate	$r$	$(\frac{\sqrt{3}}{4} - \frac{1}{6})u$
Radius of fillet at top plate	$R$	$r + d$
Width of middle plate at sides	$h'$	$h - \frac{\sqrt{3}}{2}u$
Width of top plate at sides ( $EH$ )	$H'$	$h' + 2d$
Length unit for side edges	$w$	$\frac{6030-3161\sqrt{3}}{1991}u$
Length of chamfer edge ( $EF, GH$ )	$a$	$5w$
Length of vertical edge ( $FG$ )	$b$	$8w$
Radius of standoff zone	$Q$	$\frac{u}{4}$
Radius of spacer zone	$P$	$\frac{u}{6}$
Abscissa of $Q_{35}$	$x_Q$	$\frac{\sqrt{3}-3}{4}u$
Ordinate of $Q_{35}$	$y_Q$	$\frac{1-\sqrt{3}}{4}u$
Abscissa of $P_{35}$	$x_P$	$(\frac{77827\sqrt{3}}{9} - \frac{62401}{4})\frac{u}{1991}$
Ordinate of $P_{35}$	$y_P$	$(\frac{2}{3} - \frac{\sqrt{3}}{4})u$
Abscissa of $P_{25}$	$x_{P'}$	$(\frac{2}{3} - \frac{\sqrt{3}}{4})u$
Ordinate of $P_{25}$	$y_{P'}$	$(\frac{345155}{12} - \frac{52276\sqrt{3}}{3})\frac{u}{1991}$